

# Production Systems Engineering for Factory Floor Management

## Lecture 1: INTRODUCTION AND COURSE OVERVIEW

---

Semyon M. Meerkov, University of Michigan

Jingshan Li, University of Wisconsin – Madison

Liang Zhang, University of Wisconsin – Milwaukee



# Outline

---

1.1. Introduction

1.2. Course overview

1.3. Illustrative example

1.4. Summary



# 1.1. Introduction

---

## 1.1.1. PSE: General description

- *Production Systems Engineering* (PSE) is an emerging branch of Engineering intended to uncover fundamental principles governing production systems and utilize them for analysis, continuous improvement, and design.
- Production systems are machines, material handling devices, and personnel arranged to produce the desired product.
- The machines are unreliable, the material handling devices (buffers) have finite storing capacities, and the personnel may exhibit less than optimal performance.



### 1.1.1. PSE: General description (cont)

---

- All problems considered in PSE have originated on the factory floor; their solutions have been implemented on the factory floor. Many of these implementations serve as case studies for PSE.
- The main results of PSE have been summarized in the textbook: J. Li and S.M. Meerkov titled, *Production Systems Engineering*, Springer, 2009.
- An industrial version of this textbook titled *Production Systems Engineering for Factory Floor Management* (by J. Li, S.M. Meerkov and L. Zhang) is to appear by the end of 2012.



## 1.1.2. PSE: Purpose of the course

---

- **The purpose of this course is to describe the main techniques of PSE with the emphasis on practical applications.**
- Results of three types are presented:
  - Solutions of typical problems that arise on the factory floor
  - A software package, *PSE Toolbox*, which implements these solutions and which can be used for day-to-day operations management; a demo of this toolbox is available at:  
<http://www.ProductionSystemsEngineering.com>
  - Insights into properties of production systems, which are useful for production management.



### 1.1.3. Examples of problems to be addressed

---

- In a production line, which machine is the “show stopper”, i.e., the *bottleneck machine*? For instance, in a serial line with identical machines and identical buffers, which machine is the bottleneck?
- Similarly, which buffer is the “show stopper”, i.e., the *bottleneck buffer*? For instance, in a system with identical machines and identical buffers, which buffer is the bottleneck?
- Given the machine characteristics, what is the smallest (i.e., *lean*) buffer capacity, which ensures the desired throughput of a production system?

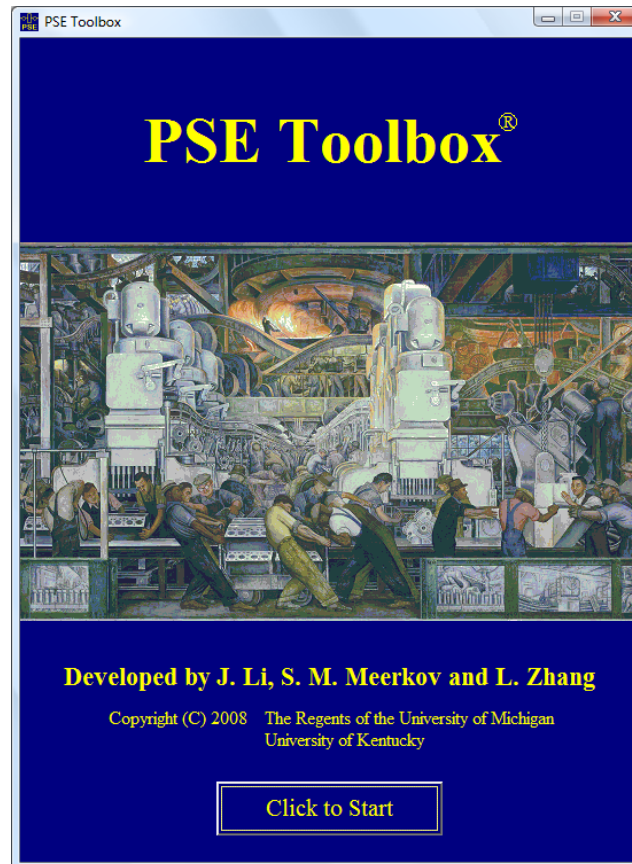


### 1.1.3. Examples of problems to be addressed (cont)

---

- In closed (i.e., palletized) production lines, what is the “right” number of carriers that does not impede the open line performance?
- What is the smallest finished goods buffer capacity, which is necessary and sufficient to satisfy the customer demand with the desired probability?
- Where should quality control devices be placed so that the throughput of good parts is maximized?
- If in the beginning of the shift all buffers are empty, what are the production losses due to transients and how can they be minimized?

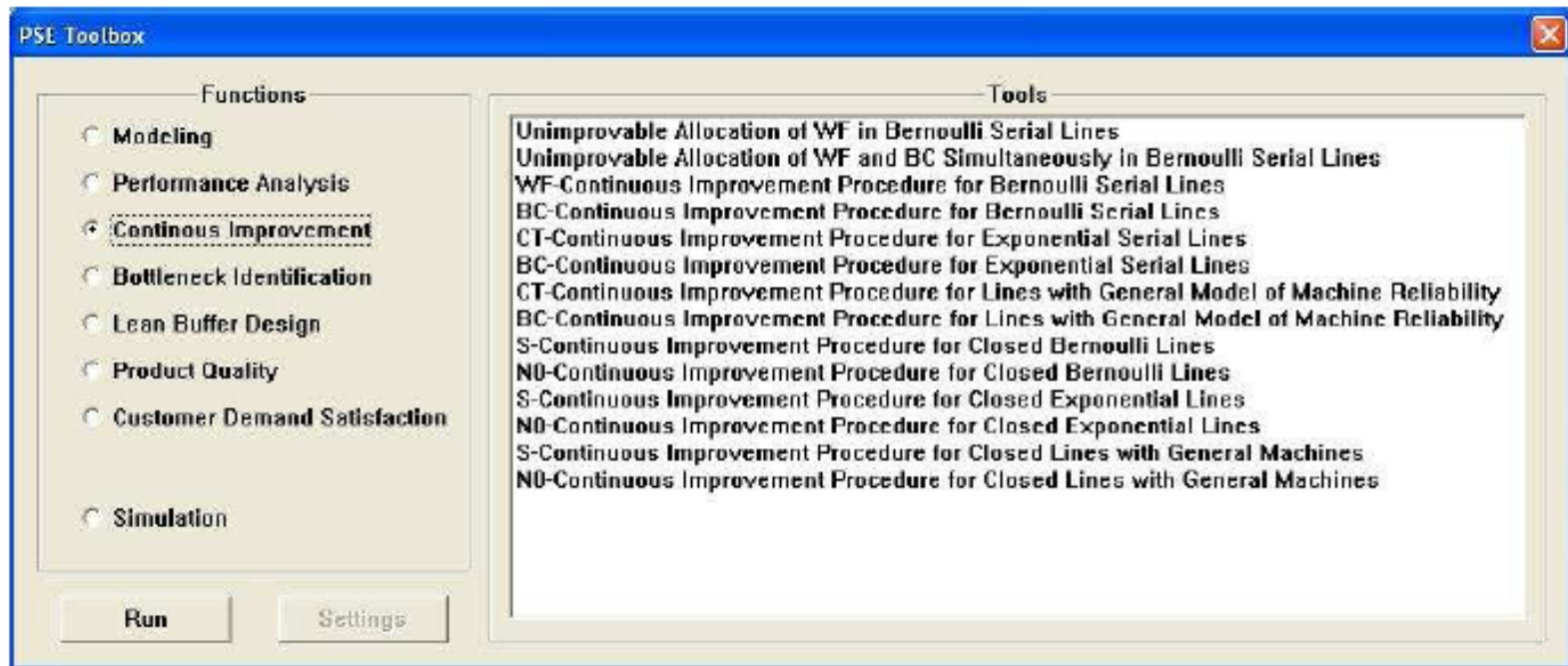
## 1.1.4. Examples of tools to be used





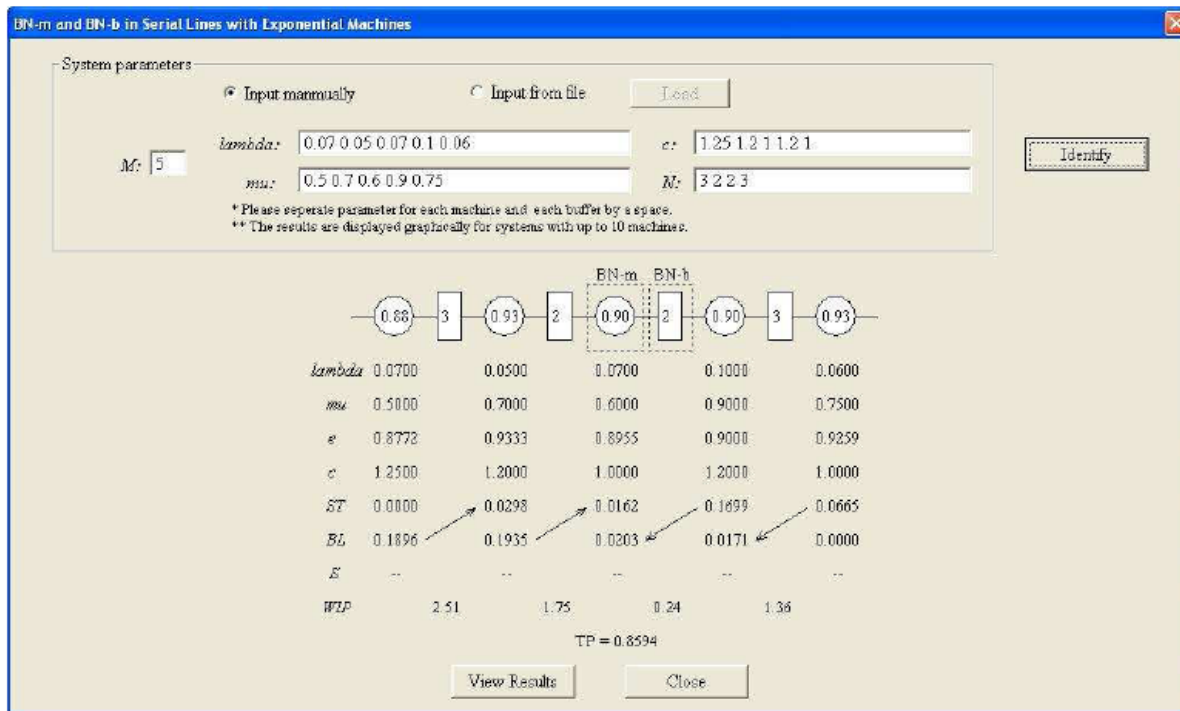
## 1.1.4. Examples of tools to be used (cont)

*PSE Toolbox* functions:



## 1.1.4. Examples of tools to be used (cont)

- Bottleneck identification tool:



## 1.1.4. Examples of tools to be used (cont)

- Lean buffer design tool:

Lean Buffering for Serial Lines with Non-identical Bernoulli Machines

System parameters:  $M$ :   $p$ :   $E$ :

\* Please separate parameter for each machine by a space.  
\*\* The results are displayed graphically for systems with up to 10 machines. The results for longer lines are saved in Ber\_Results\_LBD.txt

	$N$	$E$
I. Local pair-wise approaches:	<input type="text" value="3 4 4 4"/>	<input type="text" value="0.9652"/>
II. Global pair-wise approach:	<input type="text" value="10 10 10 10"/>	<input type="text" value="0.9952"/>
III. Local upper bound approach:	<input type="text" value="10 10 10 10"/>	<input type="text" value="0.9952"/>
IV. Global upper bound approach:	<input type="text" value="10 10 10 10"/>	<input type="text" value="0.9952"/>
V. Full search approach:	<input type="text" value="3 5 5 4"/>	<input type="text" value="0.9733"/>
VI. Bottleneck-based approach:	<input type="text" value="4 5 4 4"/>	<input type="text" value="0.9712"/>

## 1.1.4. Examples of tools to be used (cont)

- Selecting the right number of carriers tool:

The screenshot shows the 'S-Continuous Improvement Procedure of Closed Bernoulli Lines' software interface. It includes the following elements:

- Systems parameters:** Radio buttons for 'Input manually' (selected) and 'Input from file'. A 'Load' button is present. Input fields show  $M: 5$ ,  $p: 0.92\ 0.85\ 0.9\ 0.85\ 0.9$ ,  $N: 2\ 3\ 3\ 2$ ,  $N_0: 10$ , and  $S: 5$ . A 'Run' button is on the right.
- Simulation parameters:** Input fields for 'Iterations: 10', 'Warm-up time: 20000', and 'Total simulation time: 220000'.
- Diagram:** A closed-loop network diagram with five machines (circles) and four buffers (rectangles). The machines have probabilities 0.92, 0.85, 0.90, 0.85, and 0.90. The buffers have capacities 2, 3, 3, and 2. A central buffer has a capacity of 10.
- Table:** A table showing performance metrics for each machine.
- Additional parameters:** Input fields for  $S: 2$ ,  $L: -0.034$ , and  $PR: 0.7906$ . 'View Results' and 'Close' buttons are at the bottom.

	0.92	0.85	0.90	0.85	0.90
$p$	0.9200	0.8500	0.9000	0.8500	0.9000
$ST$	0.0083	0.0159	0.0507	0.0361	0.1096
$BL$	0.1244	0.0445	0.0610	0.0343	0.0000
$WTP$	1.69	1.85	2.05	1.17	



## 1.1.5. Examples of insights to be provided

---

- If all other factors are the same, is it better to have machines with shorter or longer up- and downtime?
- If either the uptime of a machine can be increased or its downtime decreased by the same factor, what is better for the overall system performance?
- How can one determine if work (or workforce) is allocated appropriately, so that the throughput is maximized?



## 1.1.5. Examples of insights to be provided (cont)

---

- How can one determine if the buffer capacity is allocated appropriately, so that the throughput is maximized?
- If all buffers are the same, what is the shape of optimal work allocation?
- If all machines are the same, what is the shape of optimal buffer capacity allocation?
- When does the throughput of a production line increase if the machine efficiency and/or buffer capacity are increased and when it does not?



## 1.1.6. Course outcomes

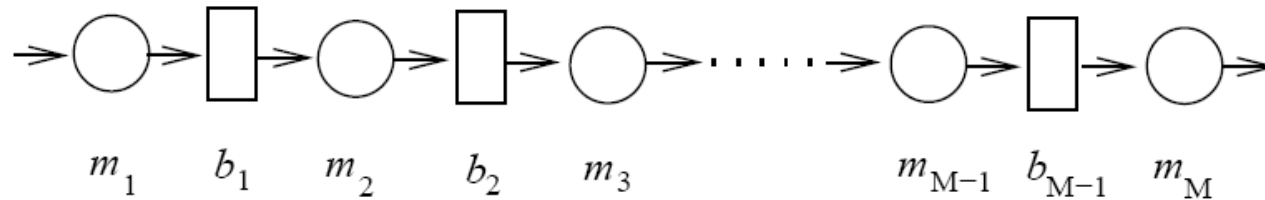
---

- The methods described in this course lead to the so-called *Measurement-Based Management* (MBM) of production systems, which ensure their operation in the *Just Right* manner.
- It is expected that the participants will acquire a general understanding of PSE and its potentials as a field of teaching, research, and applications.

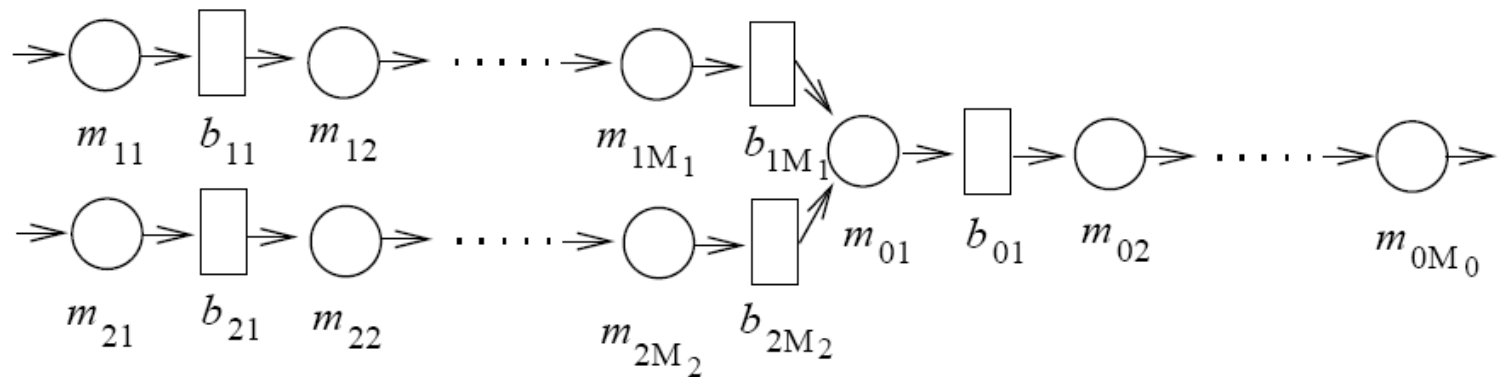
# 1.2. Course Overview

## 1.2.2. Systems considered

- *Serial lines:*



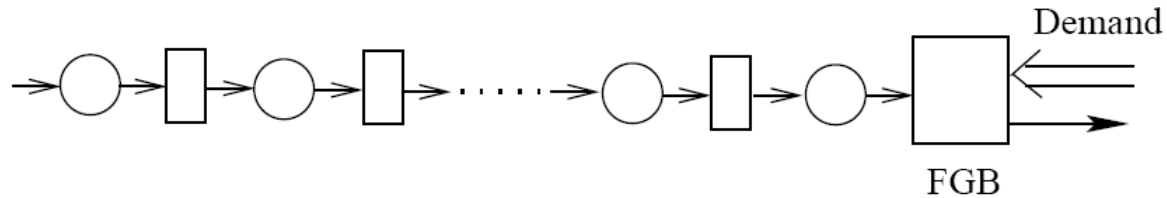
- *Assembly systems:*



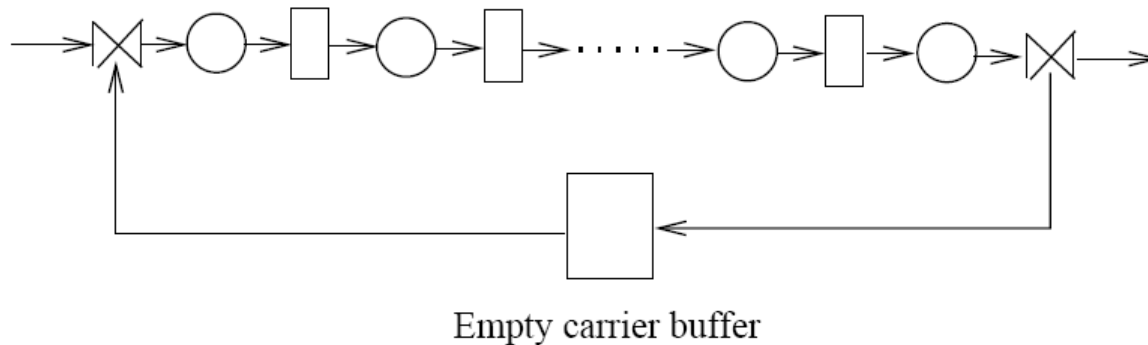


## 1.2.2. Systems considered (cont)

- Variations of serial lines:
  - *Serial lines with FGB*

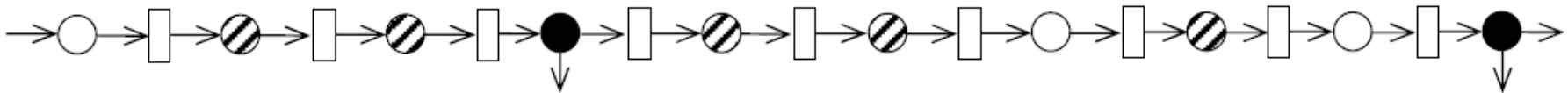


- *Closed serial lines*

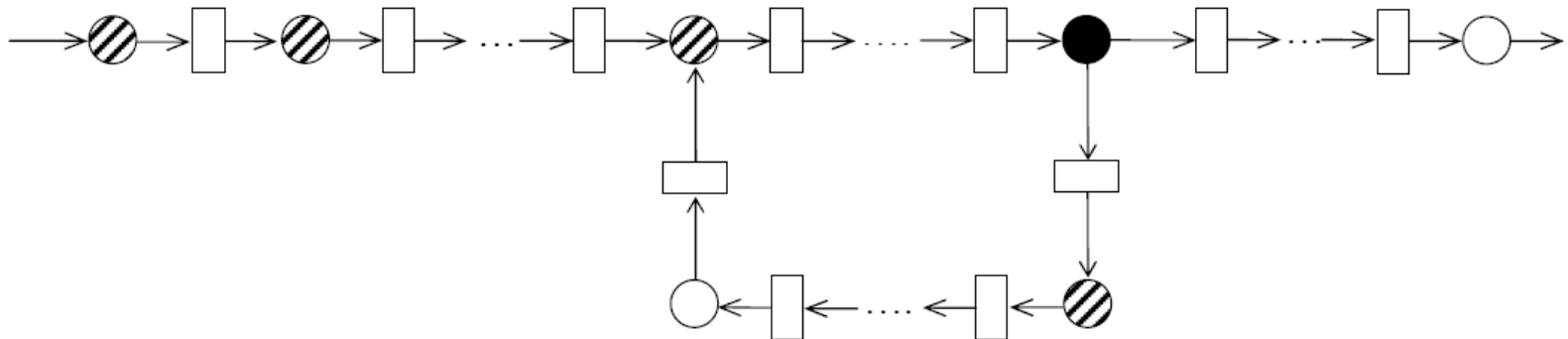


## 1.2.2. Systems considered (cont)

- Serial lines with non-perfect quality and inspection machines:



- Serial lines with rework:





### 1.2.3. Problems addressed

---

- **Mathematical modeling:** Methods for constructing a mathematical model of production systems at hand with an acceptable fidelity.
- **Performance analysis:** Analytical tools for calculating the steady state production rate, work-in-process, probabilities of machine blockages and starvations, transient characteristics, the level of customer demand satisfaction, etc.
- **System-theoretic properties:** Fundamental structural properties of production systems, such as monotonicity, reversibility, and the effects of up- and downtimes, etc.



### 1.2.3. Problems addressed (cont)

---

- **Bottlenecks:** Methods for identifying bottleneck machines and bottleneck buffers, i.e., machines and buffers that affect the production rate in the strongest manner. (Note: The worst machine and the smallest buffer are not necessarily bottlenecks in this sense.)
- **Lean buffer design:** Analytical tools for calculating the smallest buffer capacity, which is necessary and sufficient to obtain the desired efficiency of a production system.
- **Constrained improvability:** Methods for reallocating limited resources (such as workforce or buffer capacity) so that the throughput is increased.



### 1.2.3. Problems addressed (cont)

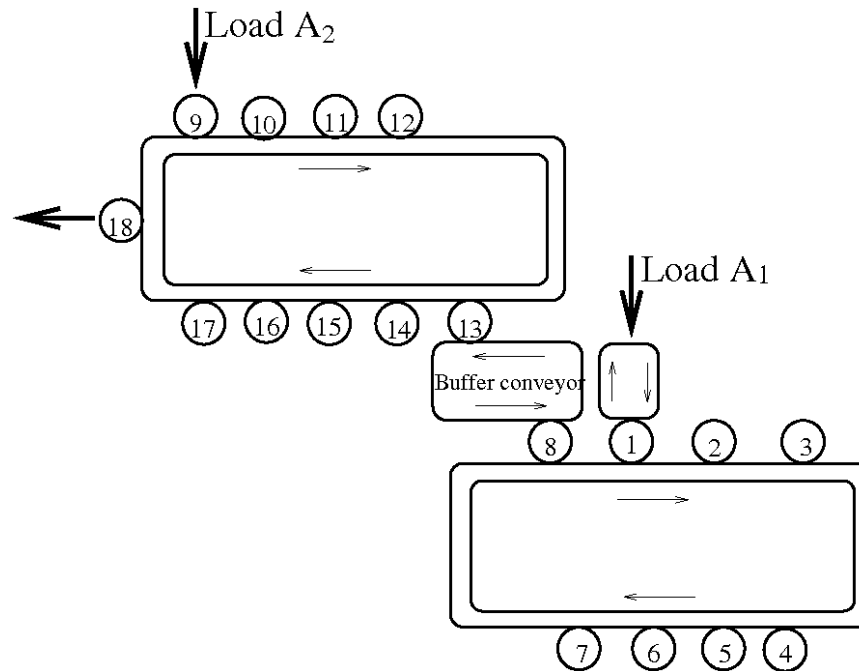
---

- **Customer demand satisfaction:** Formulas for calculating the Due Time Performance, i.e., the probability to ship to the customer the desired number of parts during a fixed time interval.
- **Product quality:** Methods for evaluating performance characteristics of production systems the non-perfect quality machines.
- **Case studies:** Numerous applications of PSE in various production systems, mostly in the automotive industry.

# 1.3. Illustrative Example

## 1.3.1. System description

- System layout:





## 1.3.2. System performance and project goal

---

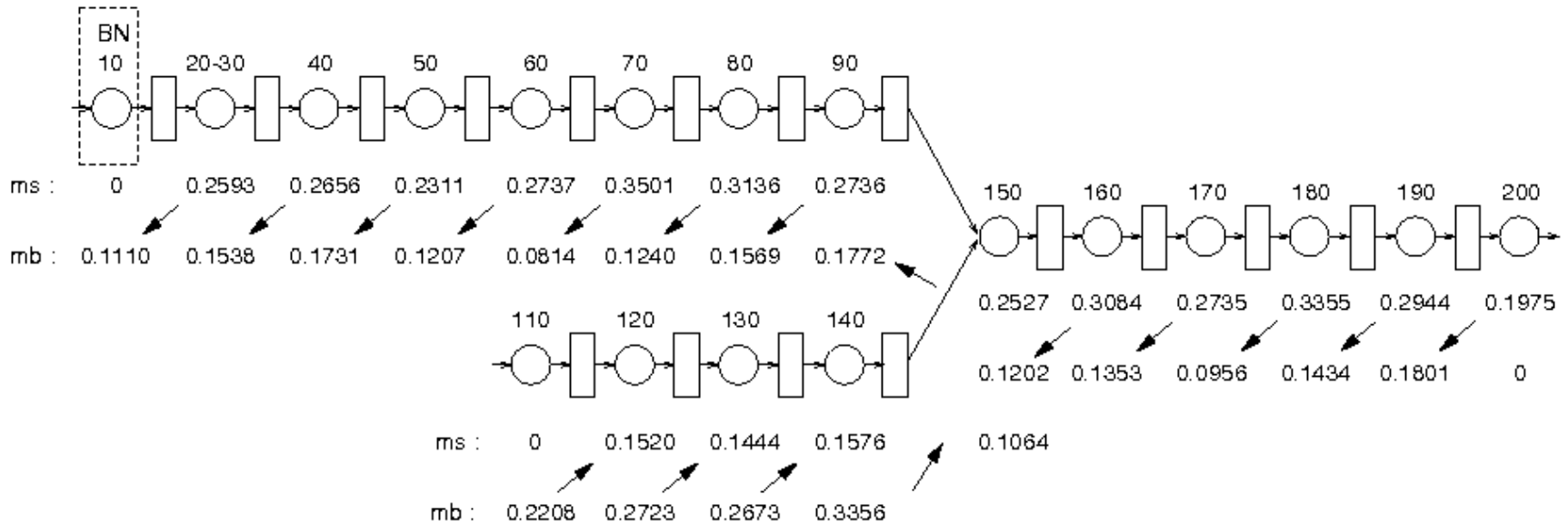
- Nominal throughput: 600 parts/hr.
- Actual throughput:

Month	May	June	July	Aug.	Sept.	Oct.
<i>TP</i> (parts/hr)	337	347	378	340	384	383
Losses due to machines (pts/hr)	78	66	132	102	60	108
Losses due to MHS (pts/hr)	185	187	90	158	156	109

- Average losses: 40%
  - Losses are mostly due to the material handling system (MHS).
- The goal of the continuous improvement project: Identify major causes of these losses and design a project for their elimination.

### 1.3.3. System modeling

- Structural model and bottleneck identification:







## 1.3.4. Continuous improvement project

---

- Resulting continuous improvement project:
  - Increase the capacity of the buffer-conveyor by adding five more carriers; this leads to 9.2% improvement of system throughput.
  - Eliminate the starvations of Ops. 10 and 110 and blockage of Op. 200; this leads to:

Month	May	June	July	Aug.	Sep.	Oct.
<i>TP</i> (part/hr)	372	393	403	359	415	408
Improvement(%)	12.7	17	7.6	7.2	9.2	11

- Implementation results: over 20% throughput improvement.



## 1.4. Summary

---

- This course is intended to present the foundations of Production Systems Engineering with the emphasis on issues of importance for industrial audience.
- The problems of mathematical modeling, performance analysis, and continuous improvement will be addressed.
- The methods described will be illustrated by numerous case studies.
- A suite of software, referred to as *PSE Toolbox*, will introduced and utilized during the lab sessions of this course.
- Course outcome: The participants are expected to become specialists in Measurement-Based Management (MBM).